

Closed System : NFE $\Delta U = mC_V \Delta T$

Open System : SFE $\Delta U = mC_p \Delta T$

'work from state 1 to 2'

$$Q_{12} + W_{12} = \Delta U$$

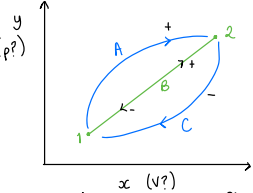
1: exists property such that a change in its value is equal to difference between heat supplied and work done during any change in state
→ called internal energy, U

2: internal energy of system remains unchanged if isolated from surroundings

3: perpetual machine of 1st kind is impossible
→ 100% efficiency impossible

Corollaries:

Outward path 1 to 2 + return 2 to 1 via any route = 0
→ Independent of path
 $(\sum \delta Q + \sum \delta W)_A + (\sum \delta Q + \sum \delta W)_C = 0$
 $(\sum \delta Q + \sum \delta W)_B + (\sum \delta Q + \sum \delta W)_C = 0$
 $(\sum \delta Q + \sum \delta W)_A = (\sum \delta Q + \sum \delta W)_B$



1st Law of Thermo.

When a system taken through cycle, net work done by systems on surroundings equal to net heat supplied to system by surroundings (cons. of energy)

$$\sum \delta Q - \sum \delta W = 0$$

δ - very small amount

Axiom:

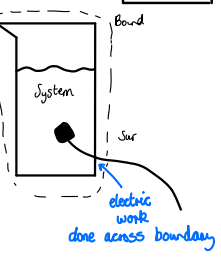
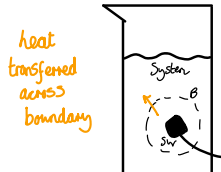
Cannot be proved, but has never been contradicted

Work and heat transferred across boundary therefore defining boundary is essential

Doesn't have to be fixed

Boundaries separates quantity of matter and surroundings

Different boundary will represent different process:



Quasi Equilibrium Process

System deviates from equilibrium by infinitesimal amounts
→ reversible
→ state 1 → 2 → 1 without change of surroundings

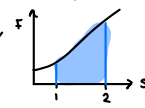
Each unit of mass will have the same internal energy
→ same specific internal energy

Isotropic: equal in all directions
→ e.g. stresses on fluids all the same

Systems & Energy

Transient Property: only appears at boundary
→ not system property

$$W = \int_1^2 F(s) ds$$



Work and Heat

Transmit energy - not system properties

Transferred by conduction, convection and radiation.

$$Q = m \cdot g \cdot q_{cal} \quad \frac{kJ}{kg}$$

Sur → Sys. = +ve
Sys → Sur. = -ve

Work and heat describe process not state

For constant force $W = \pm FS$

For Piston Cylinder

$$W = p \delta V$$

$$F = pA$$

$$W = pAs \leftarrow V$$

If restraining force changes:

$$W = \int_1^2 p dv$$

Closed System

mass conserved but energy freely transferred in and out of system
→ e.g. coffee cup with lid

Open System

Matter and energy flow
→ e.g. turbine

Non-flow Energy Equation

$$\Delta U = Q + W$$

system must be stationary

any change in KE or PE is small

Absolute - relative to vacuum

Pressure (p)
 $\frac{F}{A}$

Gauge - relative to standard atmosphere

State Postulate

if 2 independent properties are known, you can fully determine state (calculate all others)

Temperature (T)

Thermodynamic scale - no dependence on particular substance
- has absolute zero

Two-point scale - defined by properties of substance

e.g. water freezing point = 0°C

For system change of state value of property independent of process undergone

e.g. cyclist going up hill
→ first and last position important: route irrelevant

$$\int_1^2 dp = p_2 - p_1$$

For work, process is important:

$$\int_1^2 dx \neq x_2 - x_1$$